



KAPITAŁ LUDZKI
NARODOWA STRATEGIA SPÓJNOŚCI



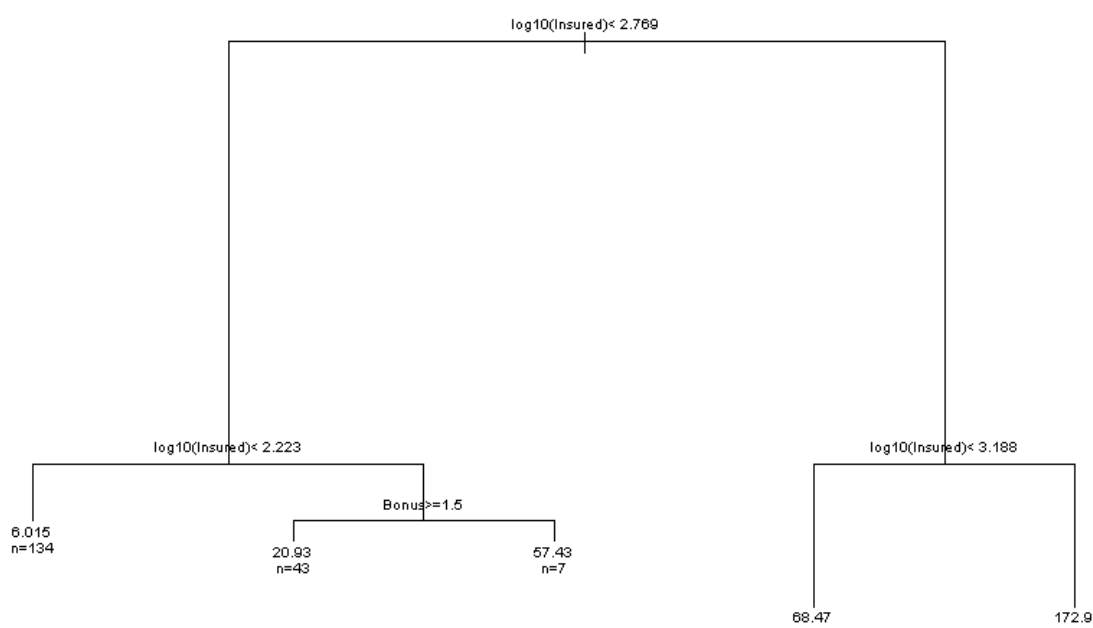
Uniwersytet
Wrocławski

UNIA EUROPEJSKA
EUROPEJSKI
FUNDUSZ SPOŁECZNY



Projekt „***Nowa oferta edukacyjna Uniwersytetu Wrocławskiego odpowiedzią na współczesne potrzeby rynku pracy i gospodarki opartej na wiedzy***”

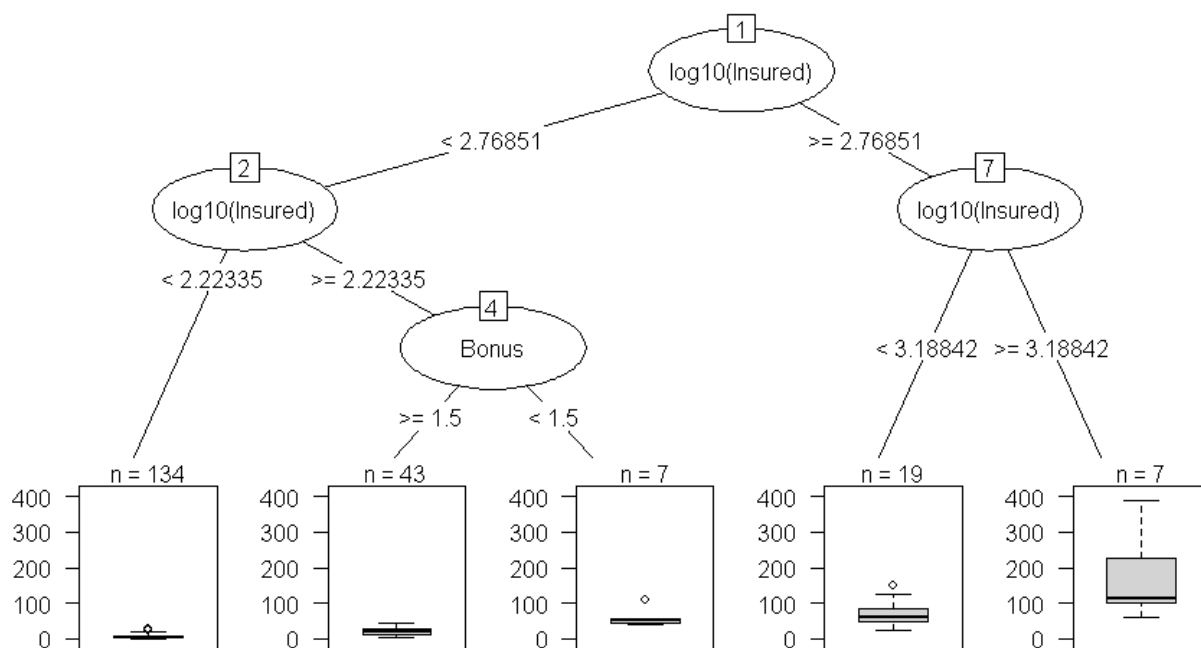
```
library("rpart")  
Cl.part <- rpart(Claims ~ fmake + fkilo + log10(Insured)+Bonus,  
                 data=mot.sgm)  
  
plot(Cl.part)
```



```
plot(C1.part,uniform=T)
text(C1.part, use.n=TRUE,cex=0.6)
```



```
library("partykit")
plot(as.party(C1.part),tp_args=list(id=F))
```



```
print(Cl.part)
```

```
n= 210
```

```
node), split, n, deviance, yval  
* denotes terminal node
```

```
1) root 210 351789.000 21.995240  
  2) log10(Insured)< 2.768512 184 34291.650 11.456520  
    4) log10(Insured)< 2.22335 134 4233.970 6.014925 *  
    5) log10(Insured)>=2.22335 50 15455.920 26.040000  
      10) Bonus>=1.5 43 4190.791 20.930230 *  
      11) Bonus< 1.5 7 3245.714 57.428570 *  
  3) log10(Insured)>=2.768512 26 152438.300 96.576920  
    6) log10(Insured)< 3.188424 19 16432.740 68.473680 *  
    7) log10(Insured)>=3.188424 7 80268.860 172.857100 *
```

```
summary(Cl.part)
```

```
Call:
```

```
rpart(formula = Claims ~ fmake + fkilo + log10(Insured) + Bonus,  
      data = mot.sgm)  
n= 210
```

	CP	nsplit	rel error	xerror	xstd
1	0.46919886	0	1.0000000	1.0187960	0.4281900
2	0.15843802	1	0.5308011	0.9639999	0.4142921
3	0.04150716	2	0.3723631	0.6107336	0.2846787
4	0.02279609	3	0.3308560	0.6044336	0.2847447
5	0.01000000	4	0.3080599	0.5593928	0.2522457

```
Node number 1: 210 observations, complexity param=0.4691989
```

```
mean=21.99524, MSE=1675.186
```

```
left son=2 (184 obs) right son=3 (26 obs)
```

```
Primary splits:
```

```
log10(Insured) < 2.768512 to the left, improve=0.46919890, (0 missing)  
fmake splits as RL-LLL-L-, improve=0.19546080, (0 missing)  
Bonus < 6.5 to the left, improve=0.15790030, (0 missing)  
fkilo splits as RRRLL, improve=0.08666632, (0 missing)
```

```
Surrogate splits:
```

```
Bonus < 6.5 to the left, agree=0.886, adj=0.077, (0 split)
```

```
printcp(Cl.part)
```

```
Regression tree:
```

```
rpart(formula = Claims ~ fmake + fkilo + log10(Insured) + Bonus,  
      data = mot.sgm)
```

```
Variables actually used in tree construction:
```

```
[1] Bonus log10(Insured)
```

```
Root node error: 351789/210 = 1675.2
```

```
n= 210
```

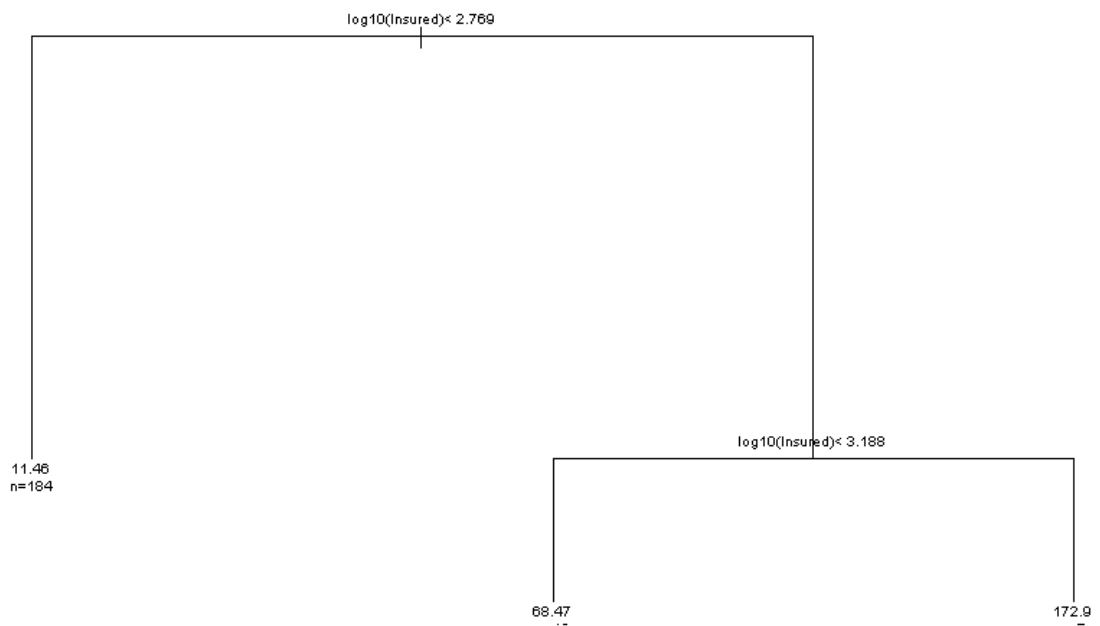
	CP	nsplit	rel error	xerror	xstd
1	0.469199	0	1.00000	1.01880	0.42819
2	0.158438	1	0.53080	0.96400	0.41429
3	0.041507	2	0.37236	0.61073	0.28468
4	0.022796	3	0.33086	0.60443	0.28474
5	0.010000	4	0.30806	0.55939	0.25225

xerror – PRESS statistics (buduje się model bez i-tej obserwacji, prognozuje się y_i a bierze się różnicę kwadratową między y_i a prognozą -> suma po i)

```

C1.part1 <- prune(C1.part,cp=0.05)
plot(C1.part1)
text(C1.part1, use.n=TRUE,cex=0.6)

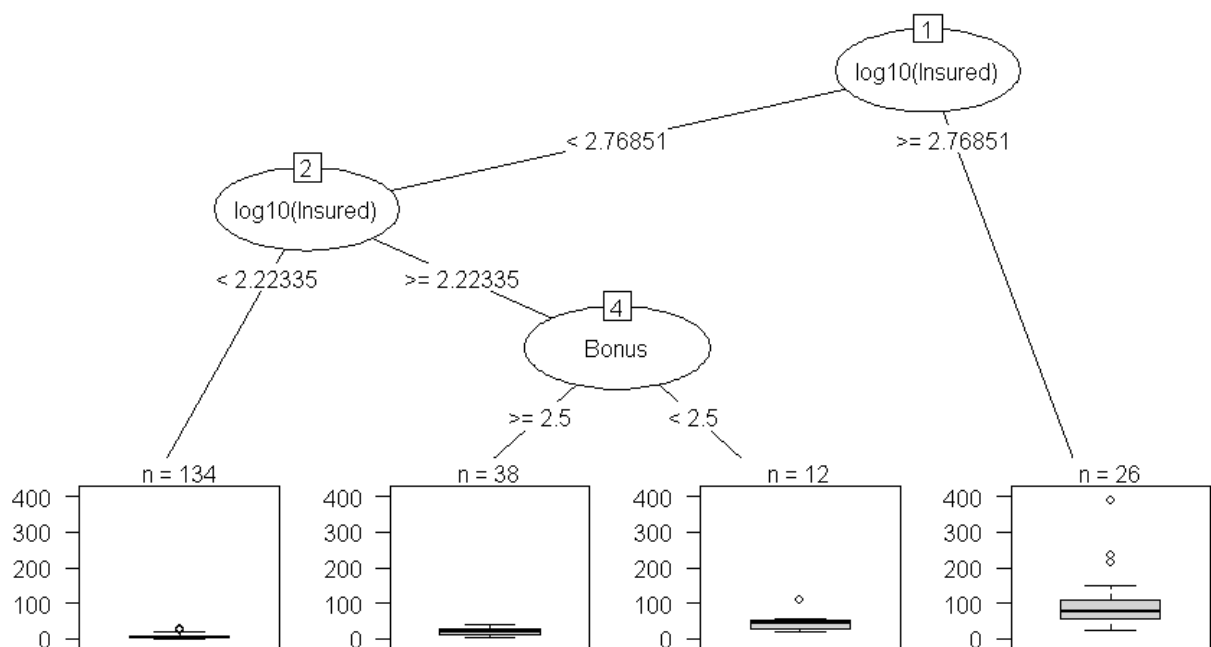
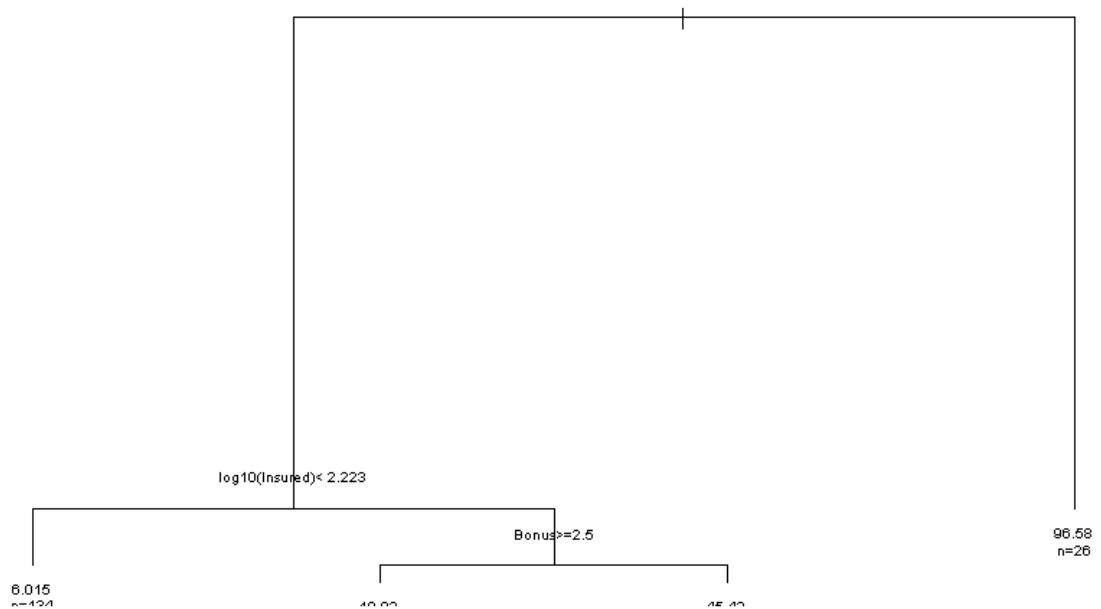
```



```

C1.part30 <- rpart(Claims ~ fmake + fkilo + log10(Insured)+Bonus,
  control = rpart.control(minsplit=30),
  data=mot.sgm)
plot(C1.part30)
text(C1.part30, use.n=TRUE,cex=0.6)

```




```
print(Cl.part004)
```

```
n= 210
```

```
node), split, n, deviance, yval
* denotes terminal node
```

```
1) root 210 351789.0000 21.995240
2) log10(Insured)< 2.768512 184 34291.6500 11.456520
4) log10(Insured)< 2.22335 134 4233.9700 6.014925
8) log10(Insured)< 1.8315 92 984.8261 3.543478 *
9) log10(Insured)>=1.8315 42 1456.2860 11.428570 *
5) log10(Insured)>=2.22335 50 15455.9200 26.040000
10) Bonus>=1.5 43 4190.7910 20.930230
20) fmake=4,5,6,8 29 1273.7930 16.275860 *
21) fmake=1,2 14 987.4286 30.571430 *
11) Bonus< 1.5 7 3245.7140 57.428570 *
3) log10(Insured)>=2.768512 26 152438.3000 96.576920
6) log10(Insured)< 3.188424 19 16432.7400 68.473680 *
7) log10(Insured)>=3.188424 7 80268.8600 172.857100 *
```

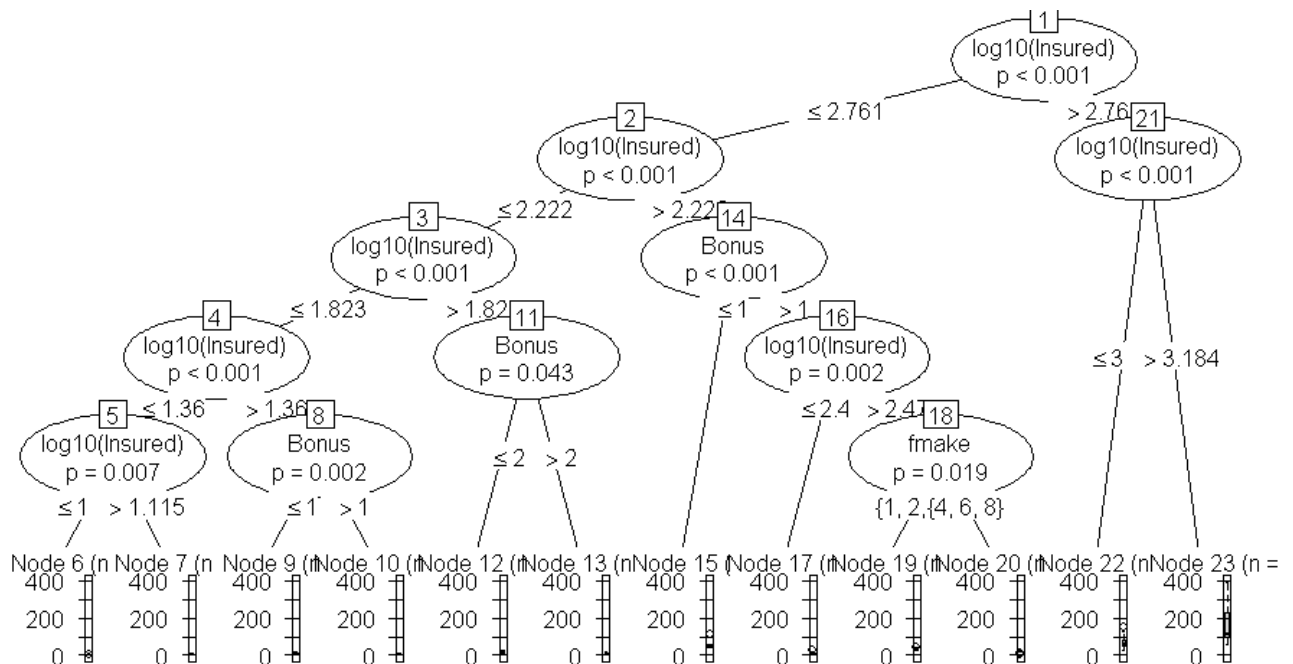
```
Cl.part004$cptable
```

	CP	nsplit	rel error	xerror	xstd
1	0.469198864	0	1.0000000	1.0073344	0.4232063
2	0.158438021	1	0.5308011	0.7102673	0.2739999
3	0.041507160	2	0.3723631	0.5497413	0.2641215
4	0.022796094	3	0.3308560	0.4829506	0.1993378
5	0.005485018	4	0.3080599	0.4592409	0.2000840
6	0.005096403	5	0.3025748	0.4482159	0.1996284
7	0.004000000	6	0.2974784	0.4430436	0.1996484

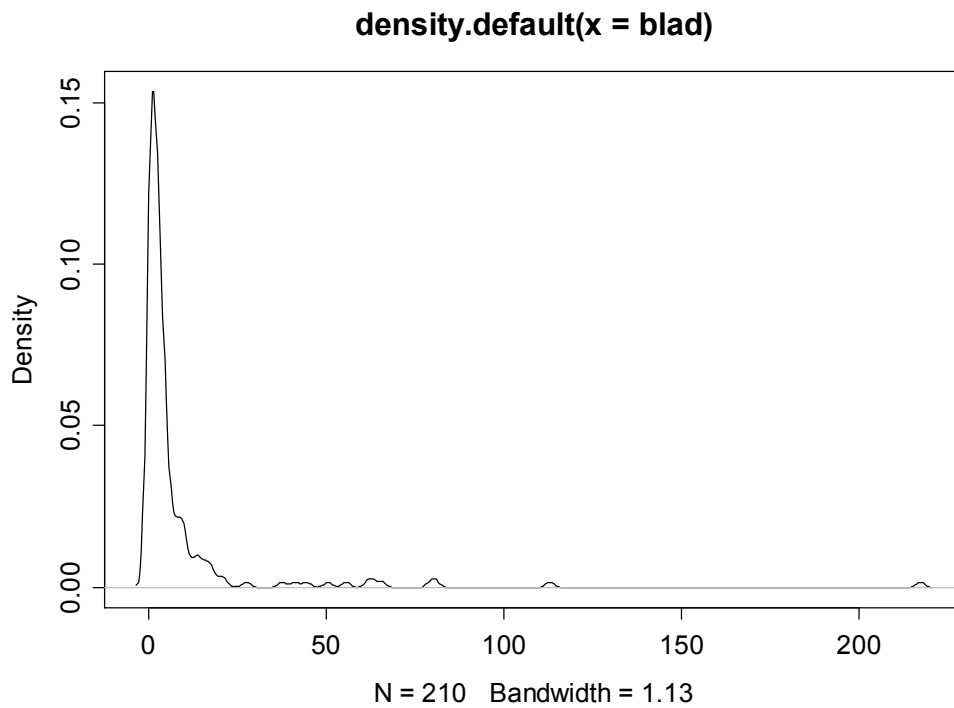
```
Cl.partxv <- rpart(Claims ~ fmake + fkilo + log10(Insured)+Bonus,
control = rpart.control(xval=50),
data=mot.sgm)
```

jak wyjściowy podział

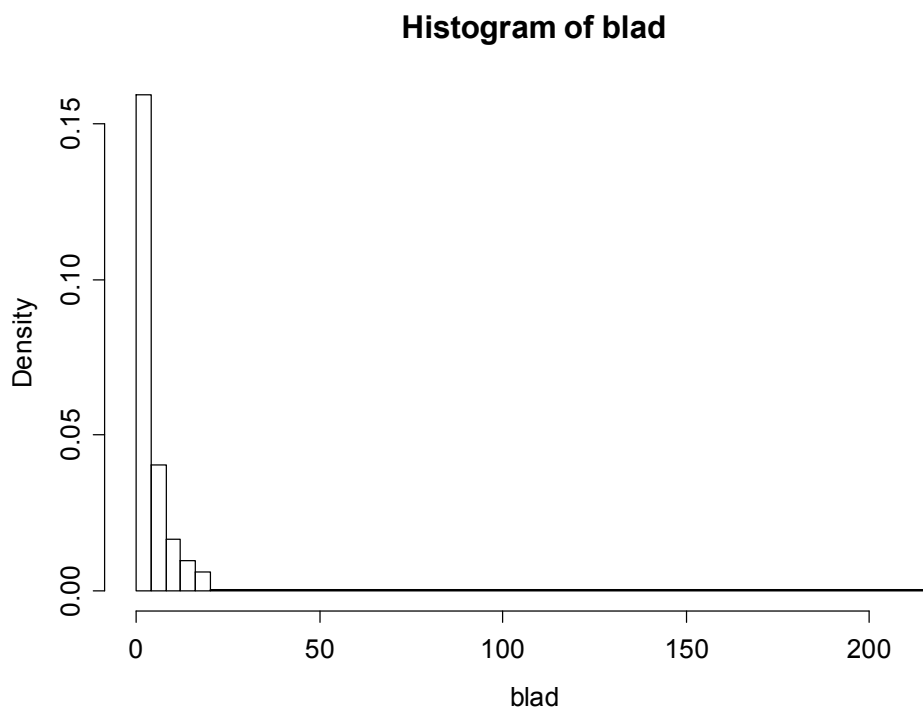
```
library("party")
Cl.ctree <- ctree(Claims ~ fmake + fkilo + log10(Insured)+Bonus,
data=mot.sgm)
plot(Cl.ctree)
```



```
pr.ctree <- predict(Cl.ctree)
blad <- abs(mot.sgm$Claims-pr.ctree)
plot(density(blad))
```



```
hist(blad, fr=F, breaks=c(0, (1:5)*4, max(blad)))
```



```
blad.f <- cut(blad, include.lowest = T, breaks=c(0, (1:5)*4, max(blad)))
print(table(blad.f)/2.1, digits=3)
```

```
blad.f
 [0,4]  (4,8]  (8,12] (12,16] (16,20] (20,217]
63.81  16.19   6.67   3.81   2.38   7.14
```

```
data("GlaucomaM",package = "ipred")
str(GlaucomaM)
```

```
'data.frame': 196 obs. of 63 variables:
 $ ag : num 2.22 2.68 1.98 1.75 2.99 ...
 $ at : num 0.354 0.475 0.343 0.269 0.599 0.483 0.355 0.312 0.365 0.53 ...
 $ as : num 0.58 0.672 0.508 0.476 0.686 0.763 0.601 0.463 0.57 0.834 ...
...
 $ mv : num 0.035 0.022 0.029 0.023 0.034 0.028 0.012 0.023 0.029 0.022 ...
 $ Class: Factor w/ 2 levels "glaucoma","normal": 2 2 2 2 2 2 2 2 2 2 ...
```

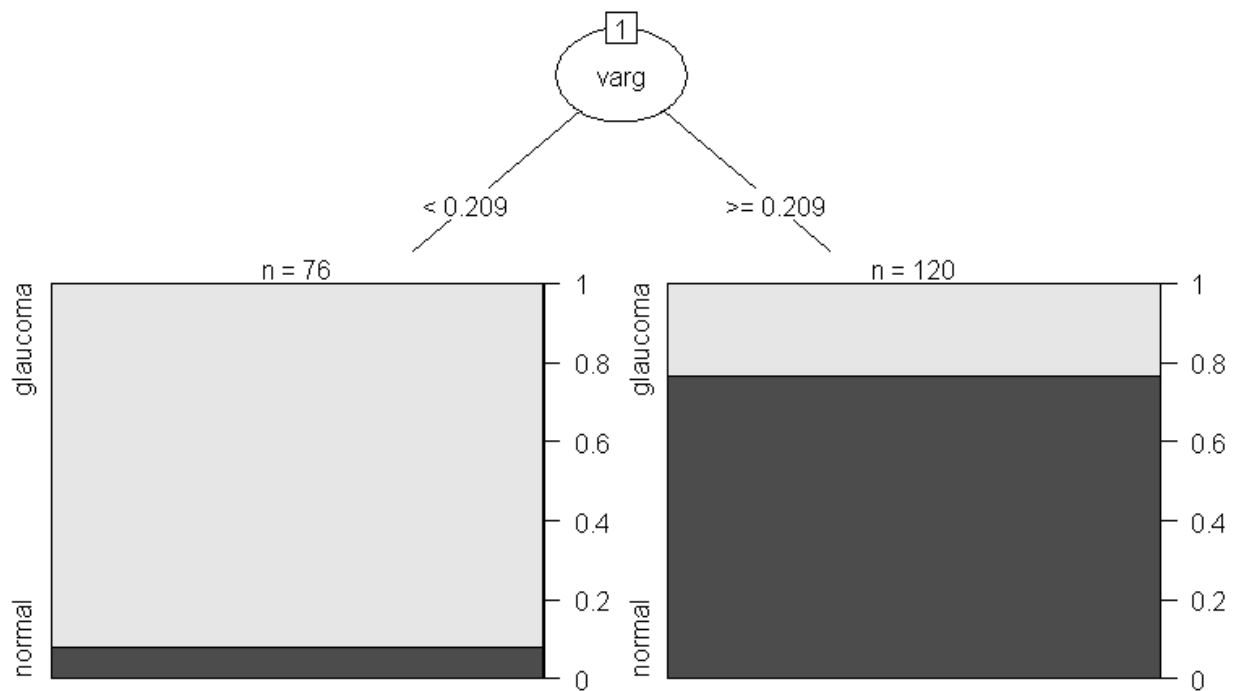
```
glaucoma.t <- rpart(Class ~ .,data=GlaucomaM,control = rpart.control(xval=100))
```

xval=100 100 razy 10 krotna krosvalidacja (normalnie 10 razy)

```
glaucoma.t$cptable
```

	CP	nsplit	rel error	xerror	xstd
1	0.65306122	0	1.0000000	1.6020408	0.05703324
2	0.07142857	1	0.3469388	0.3877551	0.05647630
3	0.01360544	2	0.2755102	0.3877551	0.05647630
4	0.01000000	5	0.2346939	0.4795918	0.06099412

```
(opt <- which.min(glaucoma.t$cptable[, "xerror"]))
2
(cp.opt <- glaucoma.t$cptable[opt, "CP"])
0.07142857
plot(as.party(glaucoma.tpr), tp_args=list(id=F))
```



varg - volume of optic nerve above reference global

stabilność drzewa

```
nsplitopt <- vector(mode="integer",length=25)
for (i in 1:length(nsplitopt)) {
  cp <- rpart(Class ~ .,data=GlaucomaM)$cptable
  nsplitopt[i] <- cp[which.min(cp[, "xerror"]), "nsplit"]
}
table(nsplitopt)
```

```
nsplitopt
 1  2  5
15  5  5
```

W 15 powtórzeniach 1 węzeł, w 5 – 2 w 5 – 5

bagging = bootstrap aggregating

```
trees <- vector(mode="list",length=25)
n <- nrow(GlaucomaM)
boot <- rmultinom(length(trees),n,rep(1,n)/n)
25 razy rozkład wielomianowy z pstwem 1/n
mod <- rpart(Class ~ .,data=GlaucomaM, control = rpart.control(xval=0))
for(i in 1:length(trees)) trees[[i]] <- update(mod,weights=boot[,i])
```

xval=0 bez pruning

weights z takim pstwem losuje się elementy do modelu

update(mod,weights=boot[,i]) uaktualnij model, dokładając opcję weights

#zmienne użyte w korzeniu

```
table(sapply(trees, function(x) as.character(x$frame$var[1])))
tmi varg vari varn vars
 1  10  11  1  2
```

Sapply w wyniku daje wektor lub macierz

```
pstwo <- matrix(0,nrow=n,ncol=length(trees))
for (i in 1: length(trees)){
  pstwo[,i] <- predict(trees[[i]],newdata = GlaucomaM)[,1]
  pstwo[boot[,i]>0,i] <-NA
}
```

pstwo[boot[,i]>0,i] <-NA wyłączamy te wiersze, które posłużyły do zbudowania modelu

```
srd <- rowMeans(pstwo,na.rm=T)
```

```
prognoza <-factor(ifelse(srd>0.5,"JASKRA","NORMALNE"))
(progTab <-table(prognoza,GlaucomaM$Class))
```

```
prognoza   glaucoma normal
JASKRA      78      12
NORMALNE    20      86
```

```
czulosc <- round(progTab[1,1]/colSums(progTab)[1]*100)
specyficzosc <- round(progTab[2,2]/colSums(progTab)[2]*100)
cat("czułość=", czulosc, " specyficzność=", specyficzosc)
```

czułość poprawna klasyfikacja choroby

specyficzność poprawna klasyfikacja zdrowia

czułość= 80 specyficzność= 88

Learning algorithm

Each tree is constructed using the following [algorithm](#):

1. Let the number of training cases be N , and the number of variables in the classifier be M .
2. We are told the number m of input variables to be used to determine the decision at a node of the tree; m should be much less than M .
3. Choose a training set for this tree by choosing n times with replacement from all N available training cases (i.e. take a [bootstrap](#) sample). Use the rest of the cases to estimate the error of the tree, by predicting their classes.
4. For each node of the tree, randomly choose m variables on which to base the decision at that node. Calculate the best split based on these m variables in the training set.
5. Each tree is fully grown and not [pruned](#) (as may be done in constructing a normal tree classifier).

For prediction a new sample is pushed down the tree. It is assigned the label of the training sample in the terminal node it ends up in. This procedure is iterated over all trees in the ensemble, and the average vote of all trees is reported as random forest prediction

```
las <- randomForest(Class ~ ., data=GlaucomaM)
ntree=500
mtry=if (!is.null(y) && !is.factor(y))
      max(floor(ncol(x)/3), 1) else floor(sqrt(ncol(x)))
sampsize = if (replace) nrow(x) else ceiling(.632*nrow(x))
```

```
(t.las <- table(predict(las), GlaucomaM$Class))
```

	glaucoma normal	
glaucoma	82	10
normal	16	88

```
czulosc <- round(t.las[1,1]/colSums(t.las)[1]*100)
specyficzosc <- round(t.las[2,2]/colSums(t.las)[2]*100)
cat("czułość=", czulosc, " specyficzność=", specyficzosc)
```

```
czułość= 84 specyficzność= 90
```

```
print(las)
```

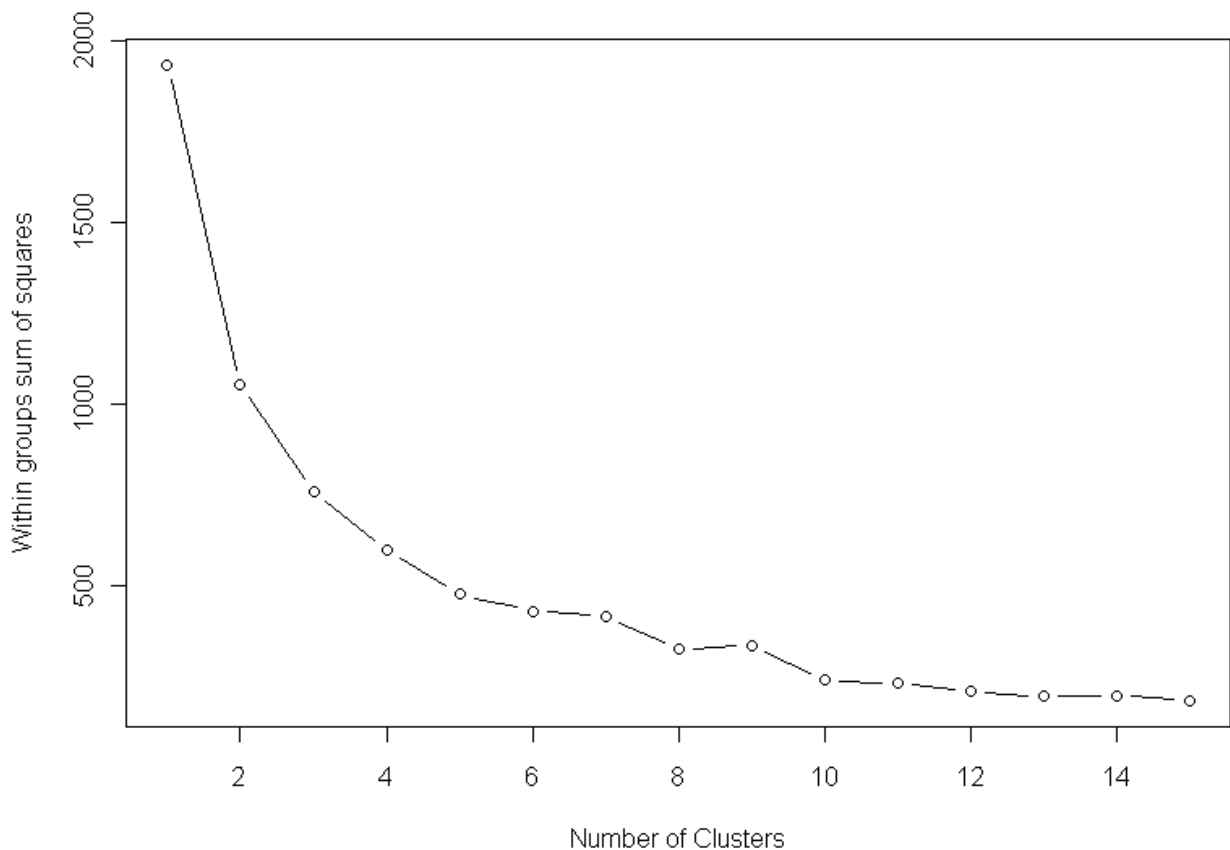
```
Call:
randomForest(formula = Class ~ ., data = GlaucomaM)
Type of random forest: classification
Number of trees: 500
No. of variables tried at each split: 7
```

```
OOB estimate of error rate: 13.27%
Confusion matrix:
      glaucoma normal class.error
glaucoma      82      16  0.1632653
normal       10      88  0.1020408
```

CLUSTER

```
f.BIM<-with(Forbes.BIM, cbind(sales,profits,assets,marketvalue))
f.BIM <-na.exclude(f.BIM)
sf.BIM<-scale(f.BIM)
wss <- (nrow(sf.BIM)-1)*sum(apply(sf.BIM,2,var))
for (i in 2:15) wss[i] <- sum(kmeans(sf.BIM,centers=i)$withinss)
```

```
plot(1:15, wss, type="b", xlab="Number of Clusters",
     ylab="within groups sum of squares")
```



```
mkm5<-kmeans(sf.BIM,5)
aggregate(sf.BIM,by=list(mkm5$cluster),FUN=median)
```

Group	1	2	3	4	5
1	1	2.1857397	1.6670971	3.6724560	1.8594195
2	2	0.9025741	0.6389967	0.8161410	0.6001001
3	3	4.0294719	3.7749899	4.1312765	7.4316966
4	4	-0.4190537	-0.1363862	-0.3764153	-0.3487328
5	5	1.6206722	-3.1603797	2.7209062	0.6809513

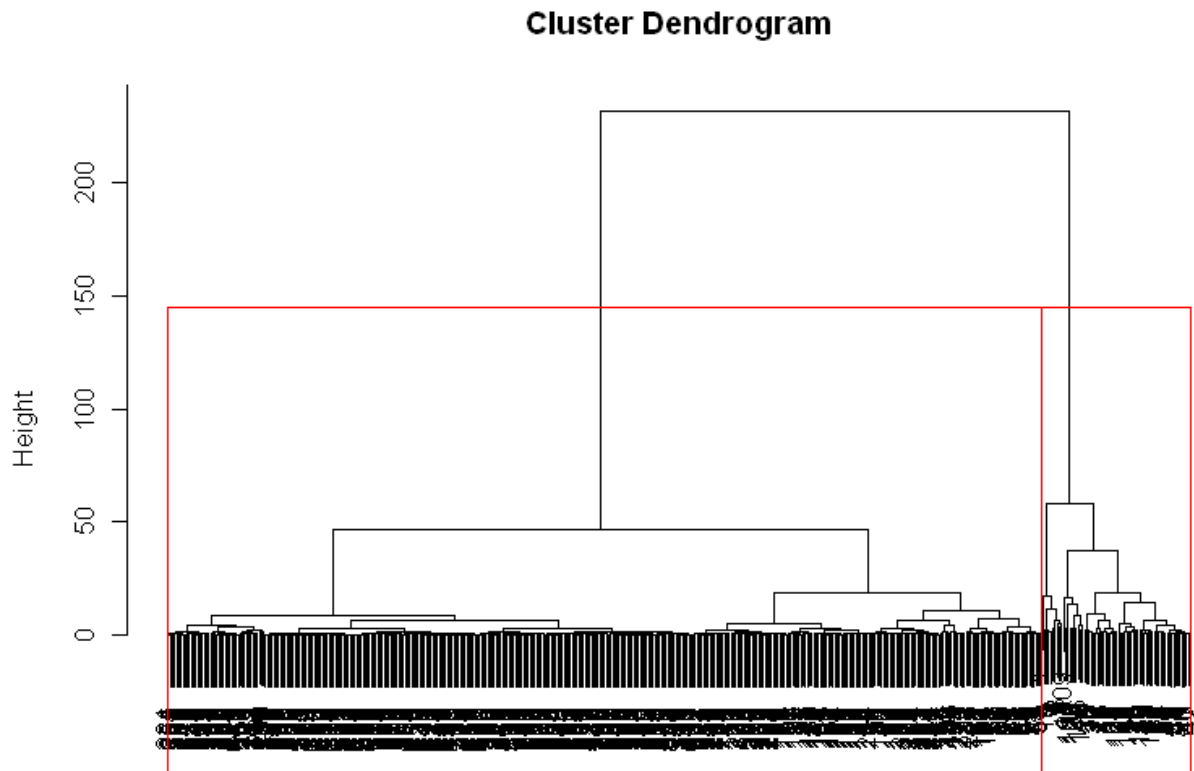
```
m5.cl<-mkm5$cluster
table(m5.cl)
m5.cl
 1  2  3  4  5
15 47  5 411 6
```

```
mkm2<-kmeans(sf.BIM,2)
aggregate(sf.BIM,by=list(mkm2$cluster),FUN=median)
```

Group	1	2
1	1	-0.3924575
2	2	2.1444132

```
m2.cl<-mkm2$cluster
table(m2.cl)
m2.cl
 1  2
446 38
```

```
d <- dist(sf.BIM, method = "euclidean") # odległość
wf.BIM <- hclust(d, method="ward")
plot(wf.BIM)
rect.hclust(wf.BIM, k=2, border="red")
```



```

                                d
                                hclust (*, "ward")

grupy <- cutree(wf.BIM, k=2)
table(grupy)
grupy
  1  2
71 413

aggregate(sf.BIM,by=list(grupy),FUN=median)
  Group.1    sales    profits    assets marketvalue
1       1  1.4254968  0.6849453  1.2320964   0.9275142
2       2 -0.4165987 -0.1363862 -0.3728327  -0.3482873
```